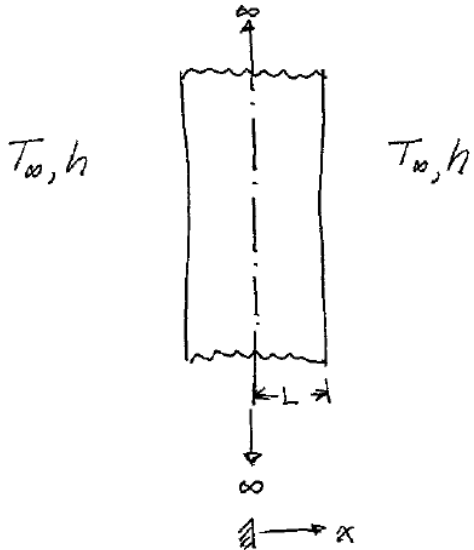


**NOTES: Transient conduction**

**TRANSIENT 1-D CONDUCTION**



- TAKE A SLAB \_\_\_\_\_
- PUT IT IN A \_\_\_\_\_



CONDUCTION EQN →

$$\rho c \frac{\partial T}{\partial t} = \frac{\partial}{\partial x} \left( k \frac{\partial T}{\partial x} \right) + \frac{\partial}{\partial y} \left( k \frac{\partial T}{\partial y} \right) + \frac{\partial}{\partial z} \left( k \frac{\partial T}{\partial z} \right) + \dot{e}_{gen}$$

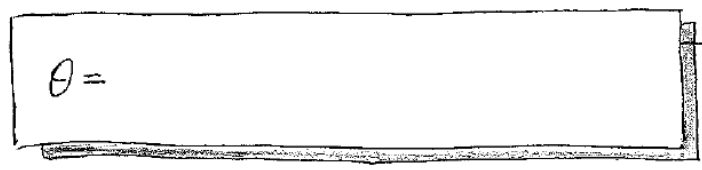
BC # 1: @ x = L

BC # 2: @ x = -L

I.C. T(x, t=0) =

SOLVE BY SEPARATION OF VARIABLES. USE \_\_\_\_\_  
FOR CONSTANTS (FROM BC.S)

RESULT IN \_\_\_\_\_



1st TERM  
APPROX of  
∞ SERIES

θ(x, t) ≡ \_\_\_\_\_

**NOTES: Transient conduction**

WHERE

$|\text{Fo} = \text{---}$



$|\text{Bi} = \text{---}$

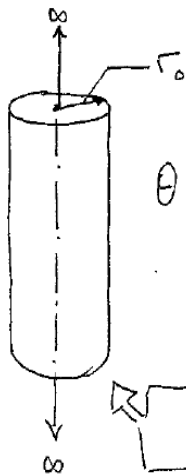


BUT I DON'T SEE  $|\text{Bi}!!$

$A_1 = f( )$

$\lambda_1 = f( )$

**OTHER GEOMETRIES**



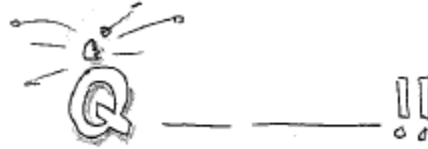
$\theta = A_1 e^{-\lambda_1^2 \text{Fo}} J_0\left(\frac{\lambda_1 r}{r_0}\right)$



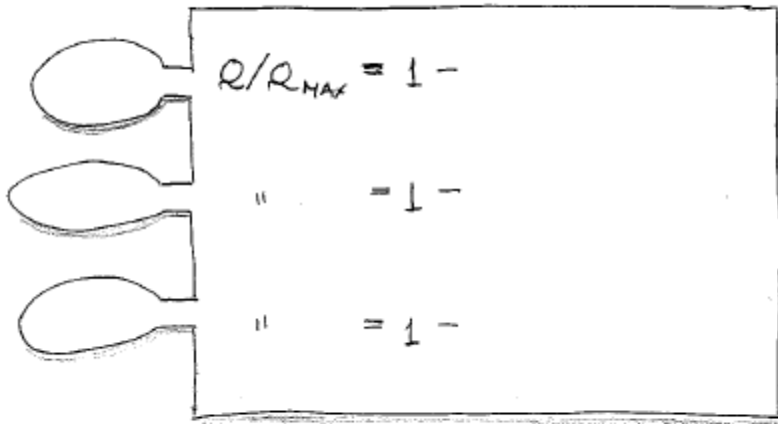
$\theta = A_1 e^{-\lambda_1^2 \text{Fo}} \left( \frac{\sin\left(\frac{\lambda_1 r}{r_0}\right)}{\lambda_1 \frac{r}{r_0}} \right)$



**NOTES:** Transient conduction



SINCE THIS IS \_\_\_\_\_  $\neq$  WE ARE LOOKING AT  
\_\_\_\_\_ LET'S FIND  $Q$  ( )  
INSTEAD.



WHERE

$$\theta_0 = \theta \text{ AT CENTER POINT} =$$

AND

$$R_{MAX} =$$

---

**NOTES:** Transient conduction