

## STATE POSTULATE

The number of independent, intensive properties needed to fix the state\* of a substance is equal to the number of quasistatic work modes plus one.

\* State: condition of a system described by the value of its properties

circular definition: see definition, circular

definition, circular: see circular definition

- A \_\_\_\_\_ HAS ONLY \_\_\_\_\_ WORK MODE
- A \_\_\_\_\_ HAS ONLY \_\_\_\_\_ WORK MODE, AND ITS \_\_\_\_\_ WORK.

THE STATE POSTULATE FOR A SIMPLE COMPRESSIBLE SYSTEM SAYS THAT YOU NEED...

PROPERTIES

(TO FIX THE STATE.)

### EXAMPLES

$$u = u( \quad )$$

$$v = v( \quad )$$

$$h = h( \quad )$$

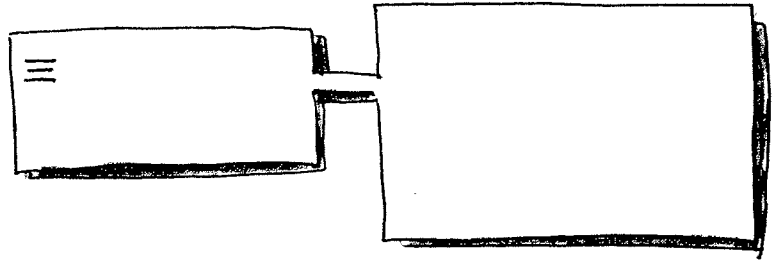
$$p = p( \quad )$$

WHY IS THIS ONE SO IMPORTANT?

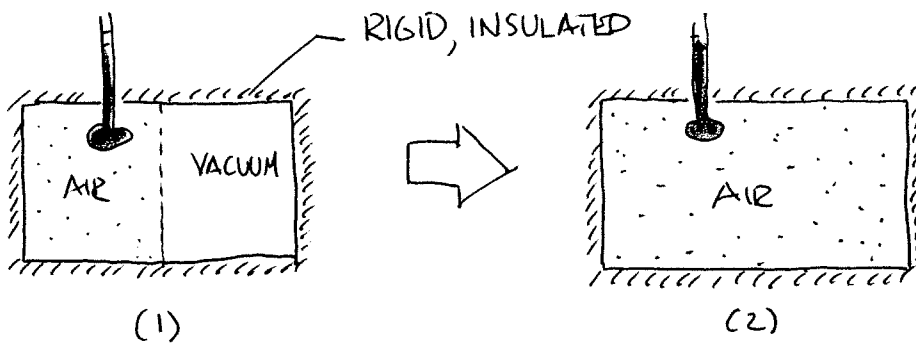
FOR ANYTHING...

$$u = u(v, T)$$

$$du = \left( \quad \right) + \left( \quad \right)$$



JOULE'S EXPERIMENT:



FROM CONS. of ENERGY

$$U_2 = U_1 \quad \& \quad \therefore \quad \underline{\hspace{2cm}}$$

$$du = \left( \frac{\partial u}{\partial v} \right)_T dv + \left( \frac{\partial u}{\partial T} \right)_v dT$$

du =

$$u_2 - u_1 =$$

\*

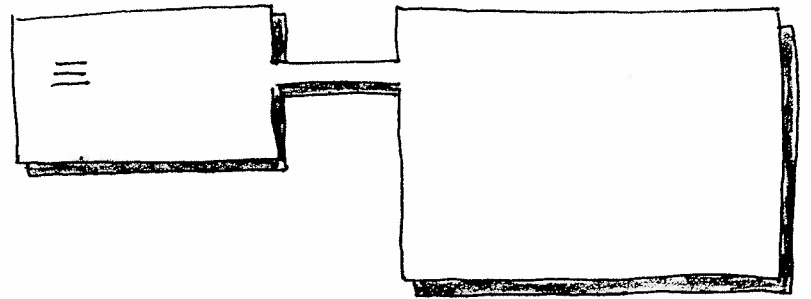
\* NEVER MIX YOUR IDEAL GAS TABLES!



WHAT ABOUT  $h$ ?

$$h = h( \quad , \quad )$$

$$dh = \left( \quad \right) + \left( \quad \right)$$



RECALL THE DEF'N  
of  $h$ :


$$h \equiv$$

AND SO FOR AN IDEAL GAS  $h =$  \*

$$dh =$$

$$dh =$$

$$h_2 - h_1 =$$

IFF  $c_v = \text{CONST}$  AND  $c_p = \text{CONST}$  

$$u_2 - u_1 = c_v (T_2 - T_1)$$

$$h_2 - h_1 = c_p (T_2 - T_1)$$

\* CAN YOU SHOW THAT  $R = c_p - c_v$ ?