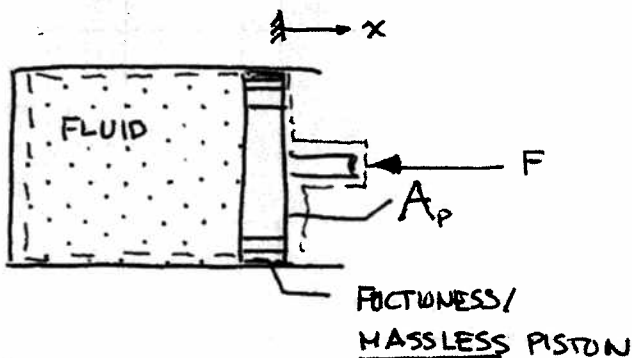


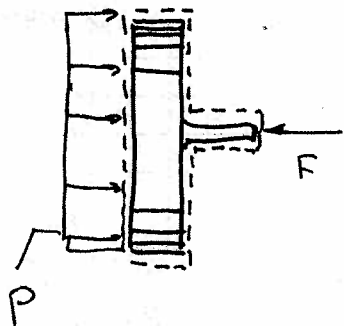
COMPRESSION/EXPANSION WORK



$$W_{IN,1-2} = \int_{s_1}^{s_2} \vec{F} \cdot d\vec{s}$$

$$= - \int_{x_1}^{x_2} F dx$$

MAKE PISTON SYSTEM



COLM $x \rightarrow$ DIR

OR SAY $V \rightarrow$ ALWAYS

$$\frac{d}{dt} (P_{sys,x}) = \sum F_x + \dot{L}_0 - \dot{L}_0$$

$$\frac{d}{dt} (0!) = PA_p - F$$

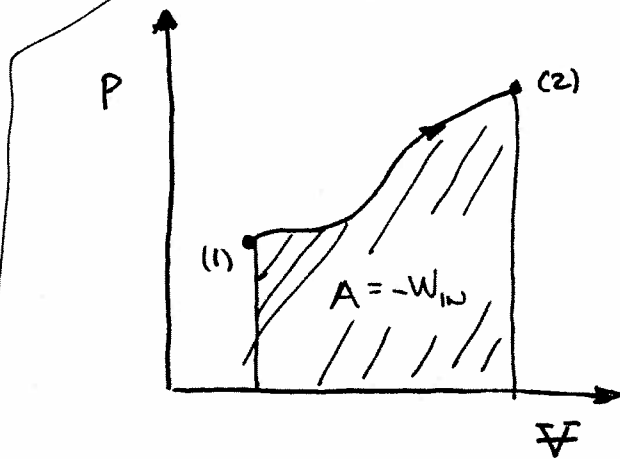
$$F = PA_p$$

QUASIEQUILIBRIUM

THUS

$$W_{IN,1-2} = \int_{x_1}^{x_2} - (P A_p) dx$$

$$= - \int_{V_1}^{V_2} P dV$$

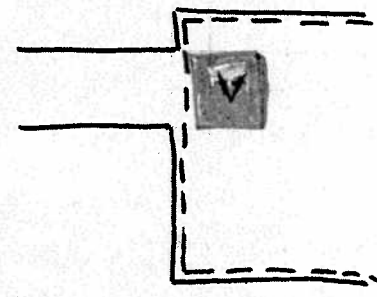
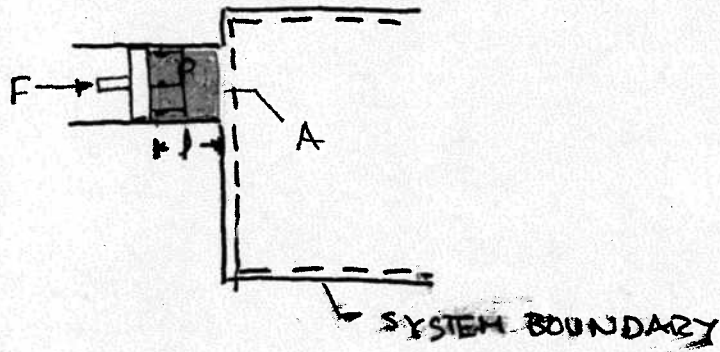


• COMP/EXP. WORK

• IN TERMS of System properties only!

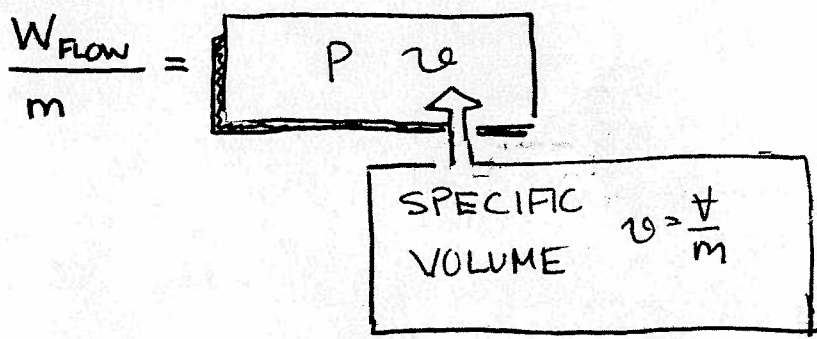
Flow Work & Enthalpy

• WORK REQUIRED TO PUSH MASS INTO (OUT OF) SYSTEM!



$$F = PA$$

$$W_{\text{FLOW}} = Fl = PA l = P \Delta V$$



$$\frac{d}{dt}(E_{\text{SYS}}) = \dot{Q}_{\text{IN,NET}} + \dot{W}_{\text{IN,NET}} + \sum_{\text{IN}} \dot{m} \left(u + \frac{V^2}{2} + gz \right) - \sum \dot{m} \left(u + \frac{V^2}{2} + gz \right)$$

$$\dot{W}_{\text{IN,NON-FLOW}} + \dot{W}_{\text{IN,FLOW}}$$

$$\dot{m}(pv) \leftarrow \text{HEY!} \rightarrow$$

$$u + pv \equiv h$$

SPECIFIC ENTHALPY

$$\frac{d}{dt}(E_{\text{SYS}}) = \dot{Q}_{\text{IN,NET}} + \dot{W}_{\text{IN,NET,NON-FLOW}}$$

$$+ \sum_{\text{IN}} \dot{m} \left(h + \frac{V^2}{2} + gz \right) - \sum_{\text{OUT}} \dot{m} \left(h + \frac{V^2}{2} + gz \right)$$