

$$A = L + C$$

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Overview

- Algorithm can be and should be broken into 2 parts: **Logic** and **Control**
- $A = L + C1 = L + C2$
- $A = L1 + C1 = L2 + C2$

Logic

- Horn Clauses
 - Assertions
 - Procedure Definitions
 - Denials
 - Contradiction
- Two possible traversals
 - Top-down
 - Bottom-up
 - Bi-directional

Data Structure

- Can be either part of the logic or control
- Expressed with terms vs. with relations

Example: cons (on the board)

Control

- Order of Executing Logic
- Way of Executing Procedures (sequential/parallel)
- Data Structures
- Investigation of Alternative Procedures

x and y have the same leaves \leftarrow the leaves of x are z ,
 the leaves of y are z' ,
 z and z' are the same

x and x are the same \leftarrow

Why should we do this

- Separation of concerns: Easy to improve control while keeping the same logic
- Efficiency:

\Downarrow
 $\text{Grandparent}(x, y) \leftarrow \text{Parent}(x, z), \text{Parent}(z, y).$
 $\Downarrow \qquad \qquad \Downarrow$

Other example: database queries