

Calculating liveness:

1	<code>(program(v w x y z t.1 t.2))</code>	
2	<code>(movq (int 1) (var v))</code>	
3	<code>(movq (int 46) (var w))</code>	
4	<code>(movq (var v) (var x))</code>	
5	<code>(addq (int 7) (var x))</code>	
6	<code>(movq (var x) (var y))</code>	
7	<code>(addq (int 4) (var y))</code>	
8	<code>(movq (var x) (var z))</code>	
9	<code>(addq (var w) (var z))</code>	
10	<code>(movq (var y) (var t.1))</code>	
11	<code>(negq (var t.1))</code>	
12	<code>(movq (var z) (var t.2))</code>	
13	<code>(addq (var t.1) (var t.2))</code>	
14	<code>(movq (var t.2) (reg rax)))</code>	

### Algorithm:

At each instruction, we calculate:

- $L_{before}(k) = (L_{after}(k) - W(k)) \cup R(k)$

Where  $W(k)$  are the variables **written** by instruction  $I_k$

And  $R(k)$  are the variables **read** by instruction  $I_k$

Traverse the instruction sequence back to front (i.e., backwards in execution order).

Let  $I_1, \dots, I_n$  be an instruction sequence.

We write:

- $L_{after}(k)$  for the set of live variables after instruction  $I_k$
- $L_{before}(k)$  for the set of live variables before instruction  $I_k$

The live variables after an instruction are always the same as those before the next instruction:

- $L_{after}(k) = L_{before}(k+1)$

Furthermore:

- $L_{after}(n) = \{ \}$